## Review of topics in concurrency

What is the smallest value of counter, among those listed, after the threads terminate?
int counter = 0;

| thread t | thread u |
| :---: | :---: |
| ```int cnt; for (int i = 0; i < 5; i++) { cnt = counter; counter = cnt + 1;``` | ```int cnt; for (int i = 0; i < 5; i++) { cnt = counter; counter = cnt + 1;``` |
| 4 \} | \} |

1. 1
2. 5
3. 6
4. 10

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| 4 \} | \} |

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The final value of counter is 5 when both threads read counter $==0$, one thread proceeds and increments it to 5 , and the other thread overwrites the same values up to 5 .

But there are schedules where there is an even more destructive interference between the two threads, so that the final value of counter can be as low as 2!

| t'S LOCAL | u'S LOCAL | SHA |
| :---: | :---: | :---: |
| $1 \mathrm{pc}_{\mathrm{t}}: 2 \mathrm{cnt} \mathrm{t}_{\mathrm{t}}: \perp$ | $\mathrm{pc}_{\mathrm{u}}: 6 \mathrm{cnt}_{\mathrm{u}}: \perp$ | counter: 0 |
| $2 \mathrm{pc}_{\mathrm{t}}: 2 \mathrm{cnt} \mathrm{t}_{\mathrm{t}}: \perp$ | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 0$ | counter: 0 |
| $3 \mathrm{pc}_{\mathrm{t}}: 3 \mathrm{cnt}{ }_{\mathrm{t}}$ : 0 | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 0$ | counter: 0 |
| $4 \mathrm{pc}_{\mathrm{t}}: 3 \mathrm{cnt} \mathrm{t}_{\mathrm{t}}: 0$ | $p c_{u}: 6 \mathrm{cnt}_{u}: 0$ | counter |
| $5 \mathrm{pc}_{\mathrm{t}}: 3 \mathrm{cnt} \mathrm{t}_{\mathrm{t}}: 0$ | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 1$ | counter: |
| $6 \mathrm{pc}_{\mathrm{t}}$ : $3 \mathrm{cnt} \mathrm{t}_{\mathrm{t}}$ : 0 | $p c_{u}: 6{ }^{\text {cnt }}$ u : 1 | counter: 2 |
| $7 \mathrm{pc} \mathrm{t}_{\text {: }}: 3 \mathrm{cnt} \mathrm{t}_{\text {: }} 0$ | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 2$ | counter: 2 |
| $8 \mathrm{pc}_{\mathrm{t}}: 3 \mathrm{cnt} \mathrm{t}_{\text {: }}$ : 0 | $p c_{u}: 6 \mathrm{cnt}_{\mathrm{u}}: 2$ | counter: 3 |
| $9 \mathrm{pc}_{\mathrm{t}}: 3 \mathrm{cnt}{ }_{\mathrm{t}}$ : 0 | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 3$ | counter: 3 |
| $10 \mathrm{pc}_{\mathrm{t}}$ : $3 \mathrm{cnt}_{t}$ : 0 | $\mathrm{pc}_{\mathrm{u}}: 6 \mathrm{cnt}_{\mathrm{u}}: 3$ | counter: 4 |
| $11 \mathrm{pc}_{\mathrm{t}}$ : $2 \mathrm{cnt}_{\mathrm{t}}$ : 0 | $p c_{u}: 6 \mathrm{cnt}_{u}: 3$ | counter |
| $12 \mathrm{pc} \mathrm{t}_{\mathrm{t}}: 2 \mathrm{cnt}_{\mathrm{t}}$ : 0 | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 1$ | counter: 1 |
| $13 \mathrm{pc} \mathrm{t}_{\mathrm{t}}: 3 \mathrm{cnt}_{\mathrm{t}}: 1$ | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 1$ | counter: |
| $14 \mathrm{pc}_{\mathrm{t}}$ : $2 \mathrm{cnt}_{\mathrm{t}}$ : 1 | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 1$ | counter: 2 |
| $15 \mathrm{pc}_{\mathrm{t}}: 3 \mathrm{cnt}{ }_{\mathrm{t}}$ : 2 | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt} \mathrm{u}_{\mathrm{u}}: 1$ | counter: 2 |
| $16 \mathrm{pc}_{\mathrm{t}}: 2 \mathrm{cnt}{ }_{t}$ : 2 | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt} \mathrm{u}_{\mathrm{u}}: 1$ | counter: 3 |
| $17 \mathrm{pc} \mathrm{t}_{\mathrm{t}}: 3 \mathrm{cnt}_{\mathrm{t}}: 3$ | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 1$ | counter: 3 |
| $18 \mathrm{pc}_{\mathrm{t}}: 2 \mathrm{cnt}_{\mathrm{t}}: 3$ | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 1$ | counter: 4 |
| $19 \mathrm{pc} \mathrm{t}_{\mathrm{t}}: 3 \mathrm{cnt}_{\mathrm{t}}$ : 4 | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 1$ | counter: 4 |
| 20 done | $\mathrm{pc}_{\mathrm{u}}: 7 \mathrm{cnt}_{\mathrm{u}}: 1$ | counter: 5 |
| 21 done | done | counter: 2 |

What is the value of n after 8 concurrent threads terminate?

$$
\text { int } \mathrm{n}=0 \text {; Semaphore } \mathrm{s}=\text { new Semaphore(1); // capacity } 1
$$

## thread $t_{k}$

int x ;
1 s.down();
$2 x=n$;
$3 \mathrm{n}=\mathrm{x}+1$;
4 s.up();

1. Between 1 and 8
2. Between 4 and 8
3. Always 4
4. Always 8

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What is the value of n after 8 concurrent threads terminate?

$$
\text { int } \mathrm{n}=0 \text {; Semaphore } \mathrm{s}=\text { new Semaphore(2); // capacity } 2
$$

thread $t_{k}$
int x ;
1 s.down();
$2 x=n$;
$3 \mathrm{n}=\mathrm{x}+1$;
4 s.up();

1. Between 1 and 8
2. Between 4 and 8
3. Always 4
4. Always 8

What is the value of n after 8 concurrent threads terminate?

```
    int n = 0; Semaphore s = new Semaphore(2); // capacity 2
    thread th
    int x;
1 s.down();
2 x = n;
3 n = x + 1;
4 s.up();
1. Between }1\mathrm{ and }
2. Between 4 and 8
3. Always }
4. Always 8
```

The value 1 occurs if one thread $t$ reads 0 initially, and then waits inside its critical section, while the other threads go through their critical section in mutual exclusion. Then, $t$ finishes by writing 1 , thus overwriting the increments of all other threads.

What do threads continuously calling $\mathrm{x}(\mathrm{)}$ and y() print?

```
monitor class CountPrint {
    private Condition isX = new Condition();
    private Condition isY = new Condition();
    public void x()
    { isX.wait(); System.out.print("X"); isY.signal(); }
    public void y()
    { isY.wait(); System.out.print("Y"); isX.signal(); }
}
```

1. A sequence of alternating $X$ and $Y$.
2. The first answer, if the monitor uses "signal and wait".
3. The first answer, if the monitor uses "signal and continue".
4. The program deadlocks.

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What do threads continuously calling $\times()$ and $y()$ print?

```
monitor class CountPrint {
    private Condition isY = new Condition();
    public void x()
    { System.out.print("X"); isY.signal(); }
    public void y()
    { isY.wait(); System.out.print("Y"); }
}
```

1. A sequence with at least one $X$ between every pair of $Y$.
2. The first answer, if the monitor uses "signal and wait".
3. The first answer, if the monitor uses "signal and continue".
4. The program deadlocks.

What do threads continuously calling $\mathrm{x}(\mathrm{)}$ and y() print?

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monitor class CountPrint {
    private Condition isY = new Condition();
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    { isY.wait(); System.out.print("Y"); }
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Under "signal and continue", it is possible that two unblocked calls to $y()$ get in the entry queue and then execute one after another.

Thread $t$ is adding a node $m$ while locking node $k$. How can this operation go wrong?


1. Another thread may add a node $l$ before $m$
2. Another thread may add a node $g$ before $k$
3. Another thread may remove node $k$
4. Another thread may invalidate node $k$

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Thread $t$ is removing node $p$ while locking node $k$. How can this operation go wrong?


1. Another thread may add a node $m$ after $k$
2. Another thread may add a node $q$ after $p$
3. Another thread may remove node w
4. Another thread may add a node $g$ before $k$

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3. Another thread may remove node w
4. Another thread may add a node g before k

What does twice ([1, 2, 3, 4]) return?

```
twice([]) -> [];
twice([H|T]) -> [2*H|twice(T)].
```

1. $[1,2,3,4]$
2. $[4,3,2,1]$
3. $[2,4,6,8]$
4. $[2,2,2,2]$

What does twice ([1, 2, 3, 4]) return?

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2. $[4,3,2,1]$
3. $[2,4,6,8]$
4. $[2,2,2,2]$

What does mtwice([1,2,3,4]) return?
mtwice(L) -> map(fun (X) -> $2 * X$ end, $L$ ).

1. $[2,4,6,8]$
2. $[2,2,2,2]$
3. The list $[2,4,6,8]$ with the elements in any order
4. The list $[1,2,3,4]$ with the elements in any order

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What does process $Q$ print?


1. The numbers $1,2,3$ in any order
2. The numbers $2,4,6$ in any order
3. The numbers $1,2,3$ in this order
4. The numbers $2,4,6$ in this order

What does process $Q$ print?

| process $P$ | process $Q$ |
| :---: | :---: |
| $p()->\% Q$ is $Q^{\prime} s$ pid | $q()->\% P$ is $P^{\prime} s$ pid |
| $Q!\{\operatorname{self(),~1\} ,~}$ | receive $\{P, N\}->$ |
| $Q!\{\operatorname{self(),~2\} ,}$ | io:format $\left(" \sim p^{\prime \prime},[2 * N]\right)$ end, |
| $Q!\{\operatorname{self(),~3\} .}$ | $q()$. |

1. The numbers $1,2,3$ in any order
2. The numbers 2,4 , 6 in any order
3. The numbers $1,2,3$ in this order
4. The numbers $2,4,6$ in this order

What does process R print?

| process P | process Q | process R |
| :---: | :---: | :---: |
|  |  | r() -> |
| $p()->$ | q() - | receive |
| $p()$ |  | x -> io.format("X"); |
| R ! x , | R ! y , | y -> io.format("Y") |
| $p()$. | q(). | end, |
|  |  | $r$ (). |

1. The sequence $X Y X Y X Y$....
2. The sequence $Y X Y X Y X . .$.
3. Any sequence of letters $X$ and $Y$.
4. Any sequence of uppercase letters.

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```
What does ptwice([1,2,3,4], [], 4) return?
```

```
ptwice([], R, 0) ->
    R;
ptwice([], R, N) ->
    receive X -> ptwice([], [X|R], N-1) end;
ptwice([H|T], R, N) ->
    Me = self(),
    spawn(fun ()-> Me ! 2*H end),
    ptwice(T, R, N).
```

    1. \([2,4,6,8]\)
    2. \([8,6,4,2]\)
    3. The list $[2,4,6,8]$ with the elements in any order
4. The list $[1,2,3,4]$ with the elements in any order

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ptwice([], R, 0) ->
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    Me = self(),
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    ptwice(T, R, N).
```

    1. \([2,4,6,8]\)
    2. \([8,6,4,2]\)
    3. The list \([2,4,6,8]\) with the elements in any order
    4. The list \([1,2,3,4]\) with the elements in any order
    Each send is executed by a different spawned process; hence there is no guarantee on the receiving order.

